

①

15 Sept 2002

# Inferential and ~~Descriptive~~ Descriptive Statistical Analysis of Data from Microarray Experiments:

A: Which genes ~~show~~ show changed level of expression  
SAM; Bayesian Analysis.

B: How to represent results of time-course experimental  
clustering - dendrogram.

① Hypothesis test: Control vs Treatment Single hypothesis.

Null hypothesis, type 1 and type 2 errors.

False positives, false negatives.

p values: Reduces false positives, increases false negatives.

② Test multiple hypothesis - Higher # false positives.

Alternative methods: SAM

• BAYESIAN ANALYSIS.

~~not~~

Data: U1A U1B I1A I1B U2A U2B I2A I2B.

effect of radiation: Lymphoblastoid cells:

oligonucleotide arrays: all between pm & mm

spot - log ratio of Red/Green.

Notation:  $M_{ij}$  why not fold increase?  $\rightarrow$  may false positive  $\frac{5}{1}$   $\frac{50}{10}$   $\frac{500}{100}$

$$Z_i = \frac{M_{ij} - M_{iu}}{a + S_i}$$

$\rightarrow$  More variation at low values, signal/noise ratio is low  
 $a =$  lowest variance cell, var.  
 $= 96^{th}$  percentile.

$$Z_i = \frac{m}{\dots}$$

p.t.o

(2)

The heart of the methods is distribution of 'null' scores when there are no differences. ∴

How to compute:

U1A-U1B, I1A-I1B, U2A-U2B, I2A-I2B

Alternatively — make two groups with 2 U and 2 I & take mean of means → 36 vals.

Random permutation & system

Obtain  $d_{0i}$ ;  $d_{Ei}$  null

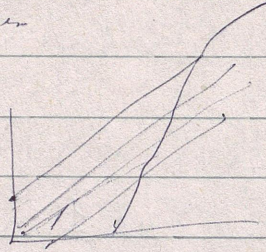


Fig. 2 of Goss

False positives: = Average nos over 30 perm. of the  $d^S$  which fall in the region.

Comparison of fold method shows that SAM is better

Table 1 of Goss.

Fig 4 of Goss.

Bayesian Approach

$$f(z) = p_0 f_0(z) + (1-p_0) f_1(z)$$

Estimate by logistic regression

$$\pi(z) = 1 - \frac{p_0 f_0(z)}{f(z)}$$

$$p_1 > 0 \Rightarrow 1 - p_0 \frac{f_0(z)}{f(z)} > 0$$

$$1 > \frac{p_0 f_0(z)}{f(z)}$$

z=0 Applied to scores,  $z_0$

$$\pi(z) = \frac{f(z)}{f(z) + B f_0(z)}$$

$$1 > (1-p_1) \frac{f_1(z)}{f(z)}$$

$$\frac{f(z)}{f_0} > 1-p_1$$

$$1 - \pi = \frac{B f_0(z)}{f(z) + B f_0(z)}$$

$$\frac{1 - \pi}{\pi} = \frac{B f_0(z)}{f(z)}$$

$$p_1 > 1 - \frac{f(z)}{f_0}$$

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$$P_1 + P_0 = 1$$

$$P_1(z) = 1 - \frac{P_0 f_0(z)}{f(z)}$$

$$f(z) = P_1(z) + P_0 f_0$$

$$1 - \frac{P_0 f_0}{f} > 0 \Rightarrow 1 > \frac{P_0 f_0}{f} > (1 - P_1) \frac{f_0}{f}$$

$$\Rightarrow f > \frac{f_0 - P_1 f_0}{f_0} \quad \frac{f}{f_0} > 1 - P_1 \quad P_1 > 1 - \frac{f}{f_0}$$

Smallest  $\frac{f(z)}{f_0}$  Comp  $\frac{f}{f_0}$  by loglike approx

Random  $f(z)$

$f(z)$  is normal, so  $f_0$  comp, so  $f_0$

Comp  $P_0$

Comp  $P(z)$ . — Threshold.

Siml. Environ with random  $dS$  — false

Both Threshold of  $P$  & other spec genes  
Valid by null so,

1. Eisen PNAS Dec. 1998

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cluster ~~analysis~~ analysis dendrogram

(i) Visualization of time course (no inference).

(ii) Dendrogram drugs, weights.

(iii) Test of dendrogram  $\rightarrow$  randomization

Randomization / simulation as a powerful ~~test~~ method to explore the robustness / reliability of the conclusions.  
Fibroblasts stimulated with serum.

my log  $\rightarrow$  12 time pts. 0, 15, 30, 1, 2, 3, 4, 8, 12, 16, 20, 24  
 $\frac{\text{red}}{\text{green}}$  : -3 green +3 red, 8000-9000 genes.

(iv) Many conditions  $\rightarrow$  'same' genes are clustered together.

~~Genes~~ selected if  $> 3$  fold, in at least 2 conditions.

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16 Sept. 2002

Introf. → T1

Outline.  $\left\{ \begin{array}{l} T12 \\ \text{Rel 3} \end{array} \right.$

1 Hypo Test → T4

2 May hyp. → T5

(1) SAM →  $Z, z$

SAM plus  
Felic parake estrick, Relro table  
Cn hincula.

(2) Bayes approach:

$$P(z) = a \cdot h(z) + P_0 f(z)$$

$$P_1(z) = 1 - P_0 f(z)$$

Comment → Bayes again!

(3) Maximum likelihood loc of  $\theta$ .

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2 april 2003

succ 6.9 lim  
nyjsh → 725476 K.

du in d dxc → 785896 \*

CAMBRIDGE → 686336 → 686340

disk d hobb / - 539980 <sup>adall</sup> \*

disc f hobb /

79882 files.

~~10879 files~~

10879 files 516 594 225 Gjes

1667 direkt.

0 disk

F  
disc f, /hobb / 715680 → 585680  
an (es)  
serv

complexion & n

2 April 2003

had  
etc

what is need, just 1 number?

diff. val d or min?

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How many impl.

Ex. of ss

Do you already have answer for 1500?

is it 3 lbs or 250 & 3 lbs for 500

what impl lbs

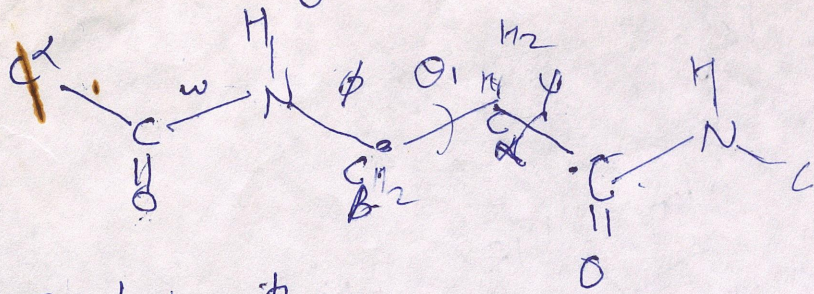
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$$s_{min} = 5 \text{ min} / 5$$

$$\text{and } s_{min} = 25$$

# Hydrogen bond schemes for $\beta$ glycine

29 June 2009

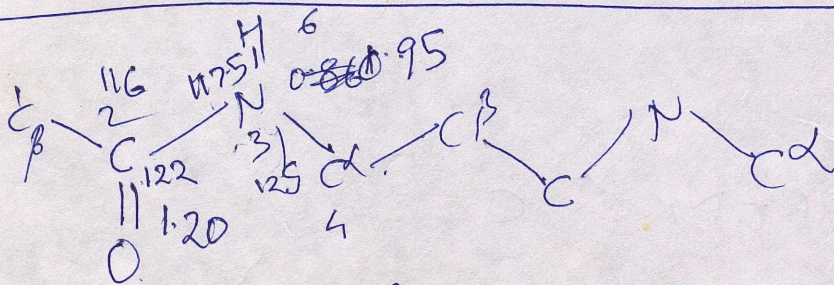


To begin with,  $\sigma$  atoms per unit

CA, C, O, N, H, CB,

Fix ~~C~~ C at origin, O along -ve z, CA & CN by bond  $\omega$   
 CB by  $\omega$ , H by  $\omega$ .

For next unit,  
 C $^{\alpha}_2$  by  $\omega$ , C $^{\beta}$ , N, H,  $\phi_1$   
 C $_2$  y C $^{\alpha}_2$ , C $^{\beta}_1$ , N $_1$ , O, = 980  
 N $_2$  by C $_2$ , C $^{\alpha}_2$ , C $^{\beta}_1$ ,  $\psi$   
 O $_2$  (same as above),  $\psi + 80$   
 H $_2$  by N $_2$ , C $_2$ ,  $\omega$   
 C $^{\beta}_2$  y N $_2$ , C $_2$  ...  $\omega$ .

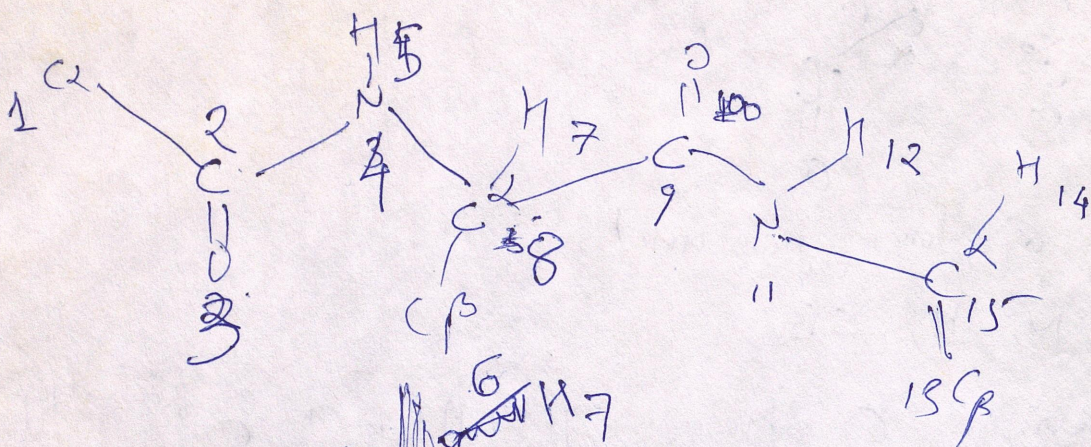


6 July

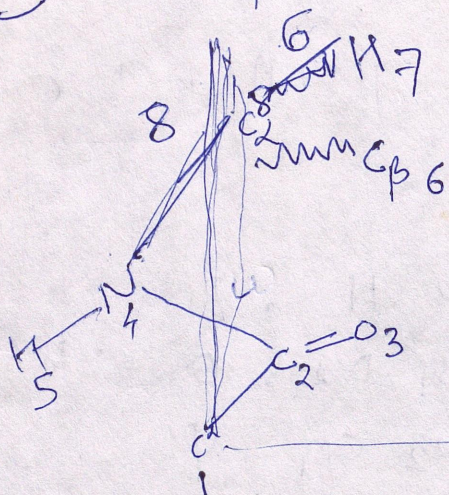
5 4-3-2, 5  
~~4-3-2, 1~~  
~~4-3-~~  
 1-2-3-6  
 H $_3$ , O-N dist 3.7-2.6

ces maehe p6jan 2k4  
 ramplot 2.f , chady number

5 July



coord



$u_{bl} \quad 4, 11, 2, 1, -2, -1$   
 $u_{bq} \quad 6, 5, -1, 3, 3, 2, 3$   
 $u_{ta} \quad 7, 7, -5, 2, 2, 4, 5$

Fix so with  $C_{\alpha}, N, C,$  &  $o^{\circ}$  eB

NOIN with  $\phi, C, N$  &  $180$  (trans)

$\phi^{\text{th}} \text{ alan} = C, ,$

$\psi = C - N, - \alpha - C$

$C^{\beta} = 6 = \text{conelol to } 8, N, , \phi + 240$

$\psi, N, ; \quad C^{\alpha}, C, N \quad \psi = N, C, C, N$

Defn of unit

